

- Basics of standard cosmological model
- Constraints on the model
- Anomalies: merging rate, giant galaxies, reionization epoch, voids, etc
- Remedy: scalar interaction in the dark sector

Collaborators:

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Jim Peebles (Princeton)





The VIRGO Collaboration 1996

The galaxy distribution are the traditional probes of the power spectrum



APM Survey picture of a large part of the sky, about 30 degrees across, showing almost a million galaxies out to a distance of about 2 billion light years.

MAP990047

The 2dF Galaxy Redshift Survey: Power-spectrum analysis of the final dataset and cosmological implications

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 $k / h Mpc^{-1}$ 0.02 0.05 0.1 • 2dFGRS - Cole et al. 2004 5 2dFGRS - Percival 2004 2dFGRS – Percival et al. 2001 2dFGRS – Tegmark et al. 2002 $\log_{10}\,P(k)\,\,/\,\,h^{-3}Mpc^3$ 4.5 3.5 -1.5-1 \log_{10} k / h Mpc⁻¹

$$\begin{split} \Omega_{\rm m} &= 0.231 \pm 0.021 \\ \Omega_{\rm b} &= 0.042 \pm 0.002 \\ h &= 0.766 \pm 0.032 \\ n_{\rm s} &= 1.027 \pm 0.050. \end{split}$$



High z SN Search (Riess et. al. 2004)

The cosmic microwave background 2dF power spectrum **τ**=0.000 60 Ω_k=0.000 μ 60 $\Omega_{\rm A} = 0.000$ ţ <mark>ա</mark>_d=0.13 40 ω_b=0.020 20 f_v=0.000 0 2 510 200 400 600 800 40 100 n_a=0.90 Multipole 1 $n_i = -1.000$ A_=0.44 P(k) [(h⁻¹Mpc)¹] 10^{4} A_=0.000

0.1

k [1/h-1 Mpc]

10*

10^a _____ 0,01

b=1.2

h=0.39

χ^e=0.000

Cosmology with the Ly-alpha forest



$$F = \exp(-\tau) \;, \quad \tau \propto n_{_{HI}}$$



Models, scales, redshifts



Joint modeling of the probability distribution and power spectrum of the Ly α forest : comparison with observations at z = 3

Vincent Desjacques¹ and Adi Nusser^{1,2}



corresponds to a redshift interval $\Delta z \sim 0.04$ at z = 3.

"Concordance" model fits the power spectrum data



credit: Garcia-Bellido 02

Anomalies of the ΛCDM model

 Λ CDM tends to produce too much merging at z < 1



Fig. 2.— Images of the mass distribution at z = 0, 1 and 3 in our 8 simulations of the assembly of cluster mass halos. Each plot shows only those particles which lie within r_{200} of halo center at z = 0. Particles which lie within $10h^{-1}$ kpc of halo center at this time are shown in black. Each image is $5h^{-1}$ Mpc on a side in physical (not comoving) units.

Early Formation and Late Merging of the Giant Galaxies

Liang Gao¹ Abraham Loeb² P. J. E. Peebles³ Simon D. M. White¹ and Adrian Jenkins⁴

Kinematics of stars a few kpc above the midplane of the disk:

DECIPHERING THE LAST MAJOR INVASION OF THE MILKY WAY

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ABSTRACT

We present first results from a spectroscopic survey of ~2000 F/G stars 0.5–5 kpc from the Galactic plane, obtained with the Two Degree Field facility on the Anglo-Australian Telescope. These data show the mean rotation velocity of the thick disk about the Galactic center a few kiloparsecs from the plane is very different than expected, being ~100 km s⁻¹ rather than the predicted ~180 km s⁻¹. We propose that our sample is dominated by stars from a disrupted satellite that merged with the disk of the Milky Way some 10–12 Gyr ago. We do not find evidence for the many substantial mergers expected in hierarchical clustering theories. We find yet more evidence that the stellar halo retains kinematic substructure, indicative of minor mergers.

if LCDM

Pieces of the puzzle: Ancient substructure in the Galactic disk

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extra-Galactic provenance. It is possible to identify three coherent Groups among these stars, that, in all likelihood, correspond to the remains of disrupted satellites. The most metal-rich group ([Fe/H] > -0.45 dex) has 120 stars distributed into two stellar populations of ~ 8 Gyr (33%) and ~ 12 Gyr (67%) of age. The second Group with \langle [Fe/H] $\rangle \sim -0.6$ dex has 86 stars and shows evidence of three populations of 8 Gyr (15%), 12 Gyr (36%) and 16 Gyr (49%) of age. Finally, the third Group has 68 stars, with typical metallicity around -0.8 dex, and a single age of ~ 14 Gyr. The identification of substantial amounts of debris in the Galactic disk whose origin can be traced back to more than one satellite galaxy, provides undisputable evidence of the hierarchical formation of the Milky Way.

probably not LCDM

SIMULATIONS OF GALAXY FORMATION IN A Λ COLD DARK MATTER UNIVERSE. II. THE FINE STRUCTURE OF SIMULATED GALACTIC DISKS

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The galaxy forms in a dark matter halo chosen so that mergers and accretion events are unimportant dynamically after $z \sim 1$. Downsizing: big galaxies are old, small galaxies are young

The SAURON project – IV. The mass-to-light ratio, the virial mass estimator and the fundamental plane of elliptical and lenticular galaxies

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 Λ CDM does not comfortably account for early (z > 6) hydrogen reionization







$\tau_{_T} = 0.166 \pm 0.071$

If reionization is sudden and complete by Z_i then $12 < z_i < 16$

Senson, Nusser & Sugiyama o.



it seems that voids in Λ CDM are not large enough

The observed correlation function of galaxies is a power down to very small scales



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Partial remedy with minimal # of new free parameters

Increasing the small scale clustering rate:

I. will give more objects at high redshift

II. will suppress merging at low redshift

Long Range Interactions in the Dark Sector

Collaborators: Jim Peebles & Steve Gubser

Assume two species of dark matter particles of masses $M_+(\Phi)$ and $M_-(\Phi)$ that depend on a scalar field Φ . Consider the action

$$\int \mathrm{d}^4 x \Phi_{,i} \Phi^{,i} - \sum_{particles} \int \left[m_+(\Phi) \, \mathrm{d}s_+ + m_-(\Phi) \, \mathrm{d}s_- \right]$$

where
$$\frac{\mathrm{d}M_+}{\mathrm{d}\Phi} < 0$$
, $\frac{\mathrm{d}M_-}{\mathrm{d}\Phi} > 0$.

To minimize the energy the field will acquire large values where there are (+) particles and smaller values where there are (-) particles. I.e., like particles will attract, unlike particles will repel. Brandenberger-Vafa: If $M_+ = M_{0+} - y_+ \Phi$, $M_- = M_{0-} + y_- \Phi$., then minimization of the actions yields

$$\nabla^2 \Phi = -y_+ n_+(r) + y_- n_-$$

$$F_{++} = -\frac{y_{+}^2}{4\pi r^2}, \quad F_{+-} = \frac{y_{+}^2}{4\pi r^2}, \quad F_{--} = -\frac{y_{-}^2}{4\pi r^2}$$

Compare with electromagentism!

Screening mechanism:

$$M_+ = M_{DM} - y\Phi , \qquad M_- = y_-\Phi \approx 0$$

I.e., the (-) particles are relativistic and the (+) are not. In this case \mathbf{A}

$$\nabla^2 \Phi = \frac{\Phi}{r_s^2} - y n_{\rm DM}(r)$$

where $r_s \propto a(t)$ and depends on a combination of y_- and the assumed energy of the relativistic species.

The scalar attraction force between two DM particles is

$$F_s = y^2 \frac{\mathrm{e}^{-r/rs}}{r^2}$$

to be added to
$$Gm_{_{DM}}^2/r^2$$
.







FIG. 3: The distributions of the density contrasts in dark matter and baryons smoothed with a top-hat spherical window of radius $1.5h^{-1}$ Mpc at the present epoch. The standard model is the solid curve, the dotted curve shows the effect of the scalar force with $r_s = 0.78h^{-1}$ Mpc, and the dashed curve shows $r_s = 1.56h^{-1}$ Mpc. The simulation box width is $50h^{-1}$ Mpc.



Mass function at high z (simulation by R. Cen)



TMP4, DISP=0.008, rs=infty, beta= 1.4°



screening with A/ϕ^{α}

$$V(\phi) = \frac{A}{\phi^{\alpha}} + n_1 |m_0 - y\phi| + n_2(m_0 + y\phi)$$

Lets look for the minimum of $V(\phi)$ for $n_1 = n_2 = \bar{n}$ with \bar{n} being the mean number density of either species. Because of the absolute value, the minimum is clearly not at $\phi = \infty$. Lets find it. Assume that the minimum is at $\phi_0 > m_0/y$. Then we must minimize the function

$$\frac{A}{\phi^{\alpha}} + \bar{n}(y\phi + m_0) + \bar{n}(m_0 + y\phi)$$

This gives $\phi_0 = \left[\frac{2\bar{n}}{\alpha A}\right]^{\frac{1}{1+\alpha}}$.

First lets assume that $y\phi_0 \gg m_0$ (the condition \gg is for simplicity only). Lets write $\phi = \phi_0 + \delta \phi$. Then for small $\delta \phi$ we have

$$V(\delta\phi) \approx -\alpha \frac{A}{\phi_0^{\alpha+1}} \delta\phi + \alpha(\alpha+1) \frac{A}{2\phi_0^{\alpha+2}} (\delta\phi)^2 + n_1(y\delta\phi + m_1) + n_2(y\delta\phi + m_2)$$

where $m_1 = |m_0 - y\phi_0| \approx y\phi_0$ and $m_2 = m_0 + y\phi_0 \approx m_1$. From this we get the equation

$$\frac{1}{a^2}\nabla_x^2\delta\phi = \frac{\delta\phi}{R_s^2} + y(\delta n_1 + \delta n_2)$$

where $R_s = \phi_0^{\alpha+2}/A/\alpha/(\alpha+1) \propto a^{\frac{3(\alpha+2)}{2(\alpha+1)}}$ which is constant neither in comoving nor in physical coordinates. Note that the equation of motion for any of the two species is $F = -y\nabla\phi$. Therefore, this model naturally gives you screening. This differs from the screening we had in our paper in that the the screening length here is $R_s \propto a^\beta$ with $\beta > 1.5$ which is not bad at all.

Final Remarks

• We have a good working model: the "concordance" ΛCDM

-good match to power spectra

- No One owes Humanity Anything: the dark sector physics of this model is extremely simple
- Anomalies: galaxy evolution, rotation curves, properties of X-ray clusters... might be a reflection of new physics in the dark sector

Scalar interactions in the dark sector are useful

 merging is suppressed at low redshifts
 reionization at high redshift is easier
 voids are emptier
 mass functions looks closer to the luminosity function

• Potentially serious problems for scalar interactions:

–I. how much substructure should we expect?–II. halo profiles?

• Future work on scalar interactions: -semi-analytic galaxy formation models

-better estimates of the expected initial power spectrum

-higher resolution simulations targeted at specific effects: reionization (R. Cen), halo profiles, hydrodynamics, Ly- α forest...

– exploring other variants of the model